

Given an undirected weighted graph  $G$ , you should find one of spanning trees specified as follows.

The graph  $G$  is an ordered pair  $(V, E)$ , where  $V$  is a set of vertices  $\{v_1, v_2, \dots, v_n\}$  and  $E$  is a set of undirected edges  $\{e_1, e_2, \dots, e_m\}$ . Each edge  $e \in E$  has its weight  $w(e)$ .

A spanning tree  $T$  is a tree (a connected subgraph without cycles) which connects all the  $n$  vertices with  $n-1$  edges. The *slimness* of a spanning tree  $T$  is defined as the difference between the largest weight and the smallest weight among the  $n-1$  edges of  $T$ .

For example, a graph  $G$  in Figure 5(a) has four vertices  $\{v_1, v_2, v_3, v_4\}$  and five undirected edges  $\{e_1, e_2, e_3, e_4, e_5\}$ . The weights of the edges are  $w(e_1) = 3$ ,  $w(e_2) = 5$ ,  $w(e_3) = 6$ ,  $w(e_4) = 6$ ,  $w(e_5) = 7$  as shown in Figure 5(b).

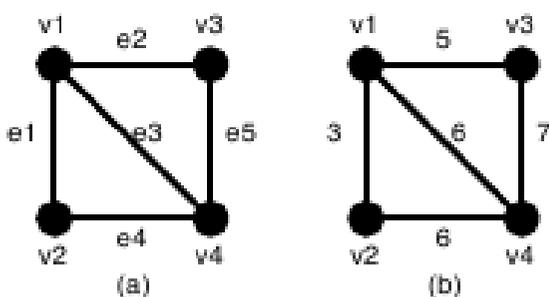


Figure 5: A graph  $G$  and the weights of the edges

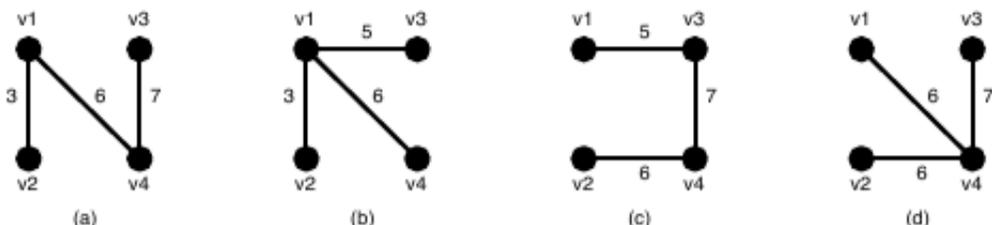


Figure 6: Examples of the spanning trees of  $G$

There are several spanning trees for  $G$ . Four of them are depicted in Figure 6(a)(d). The spanning tree  $T_a$  in Figure 6(a) has three edges whose weights are 3, 6 and 7. The largest weight is 7 and the smallest weight is 3 so that the slimness of the tree  $T_a$  is 4. The slimnesses of spanning trees  $T_b$ ,  $T_c$  and  $T_d$  shown in Figure 6(b), (c) and (d) are 3, 2 and 1, respectively. You can easily see the slimness of any other spanning tree is greater than or equal to 1, thus the spanning tree  $T_d$  in Figure 6(d) is one of the slimmest spanning trees whose slimness is 1.

Your job is to write a program that computes the smallest slimness.

### Input

The input consists of multiple datasets, followed by a line containing two zeros separated by a space. Each dataset has the following format.

```
n m
a1 b1 w1
⋮
am bm wm
```

Every input item in a dataset is a non-negative integer. Items in a line are separated by a space.

$n$  is the number of the vertices and  $m$  the number of the edges. You can assume  $2 \leq n \leq 100$  and  $0 \leq m \leq n(n-1)/2$ .  $a_k$  and  $b_k$  ( $k = 1, \dots, m$ ) are positive integers less than or equal to  $n$ , which represent the two vertices  $v_{a_k}$  and  $v_{b_k}$  connected by the  $k$ -th edge  $e_k$ .  $w_k$  is a positive integer less than or equal to 10000, which indicates the weight of  $e_k$ . You can assume that the graph  $G = (V, E)$  is simple, that is, there are no self-loops (that connect the same vertex) nor parallel edges (that are two or more edges whose both ends are the same two vertices).

### Output

For each dataset, if the graph has spanning trees, the smallest slimness among them should be printed. Otherwise, '-1' should be printed. An output should not contain extra characters.

### Sample Input

```
4 5
1 2 3
1 3 5
1 4 6
2 4 6
3 4 7
4 6
1 2 10
1 3 100
1 4 90
2 3 20
2 4 80
3 4 40
2 1
1 2 1
3 0
3 1
1 2 1
3 3
1 2 2
2 3 5
1 3 6
5 10
1 2 110
1 3 120
1 4 130
1 5 120
2 3 110
2 4 120
2 5 130
3 4 120
3 5 110
4 5 120
5 10
1 2 9384
1 3 887
1 4 2778
1 5 6916
2 3 7794
2 4 8336
2 5 5387
3 4 493
3 5 6650
4 5 1422
5 8
1 2 1
2 3 100
3 4 100
4 5 100
1 5 50
2 5 50
3 5 50
4 1 150
0 0
```

### Sample Output

```
1
20
0
-1
-1
1
0
1686
50
```